

# Cold atoms in a spin

Gareth Conduit<sup>1</sup> & Curt von Keyserlingk<sup>2</sup>

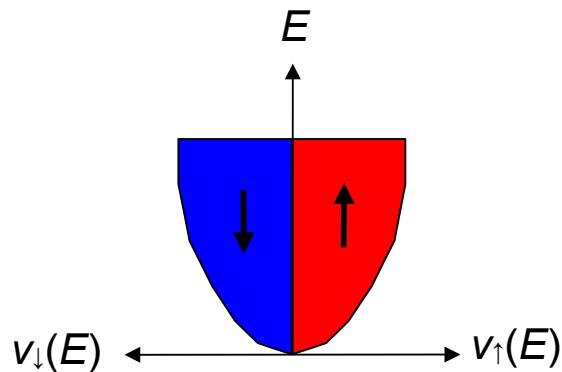
1. TCM Group, Cambridge; 2. Theoretical Physics, Oxford

# Stoner instability

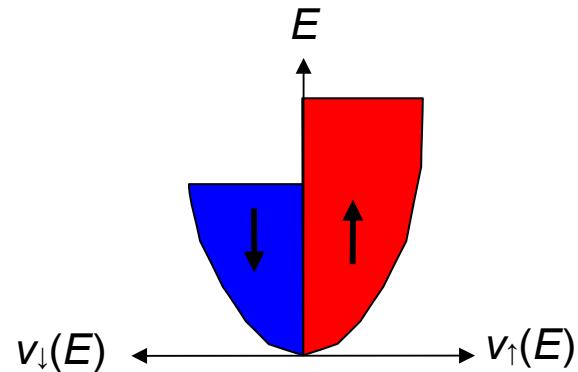
$$\hat{H} = \sum_{k\sigma} \epsilon_k c_{k\sigma}^\dagger c_{k\sigma} + g \sum_{kk'q} c_{k\uparrow}^\dagger c_{k'+q\downarrow}^\dagger c_{k'+q\downarrow} c_{k'\uparrow}$$

$$E = \sum_{\mathbf{k},\sigma} \epsilon_{\mathbf{k}} n_{\sigma}(\epsilon_{\mathbf{k}}) + g N_{\uparrow} N_{\downarrow}$$

**Not magnetized**

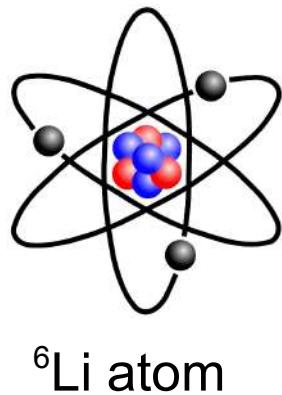


**Partially magnetized**



# Magnetism with cold atoms

- A gas of atoms simulates electrons in a solid



$$|F = 1/2, m_F = 1/2\rangle$$



Up spin electron

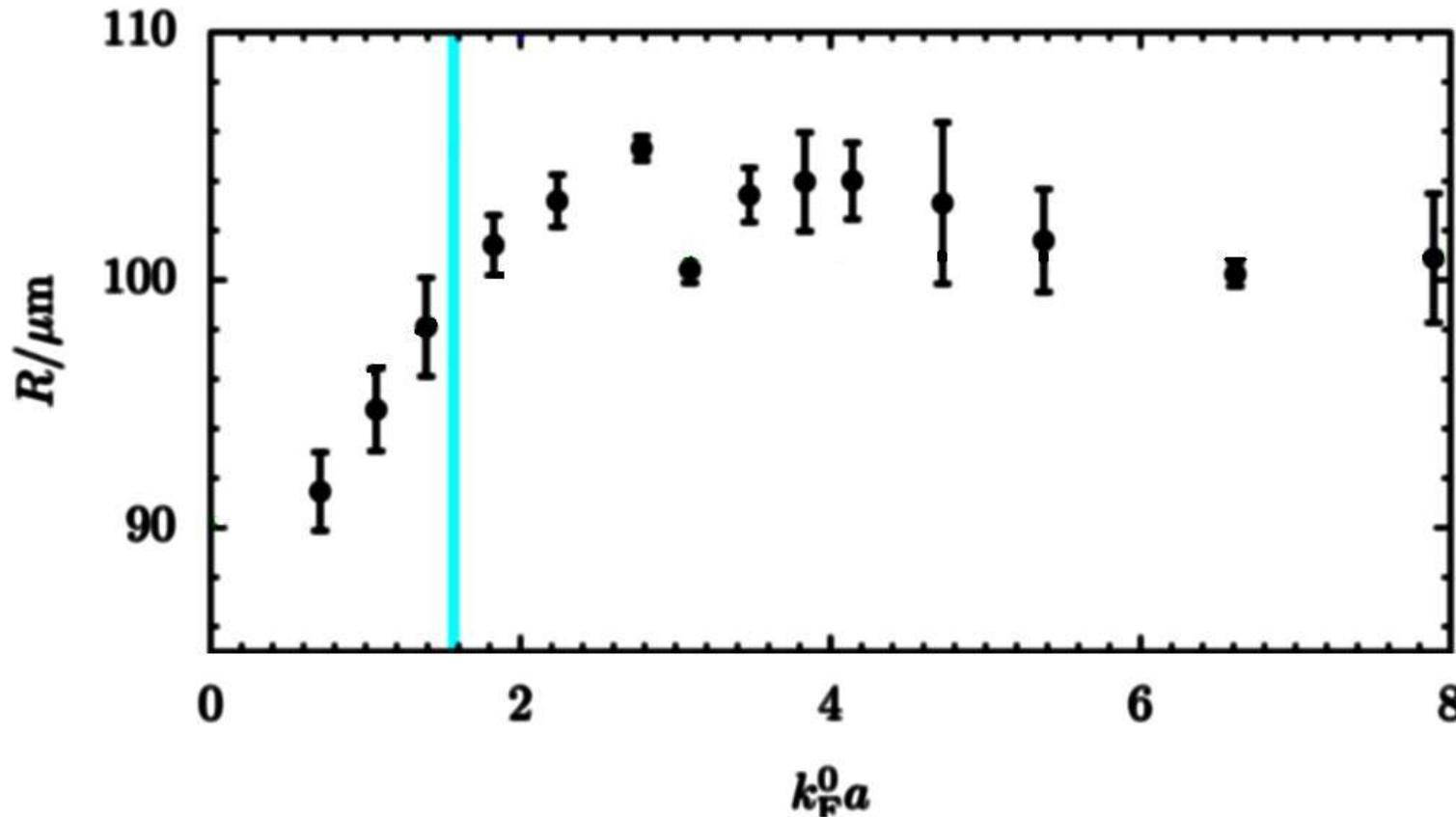
$$|F = 1/2, m_F = -1/2\rangle$$



Down spin electron

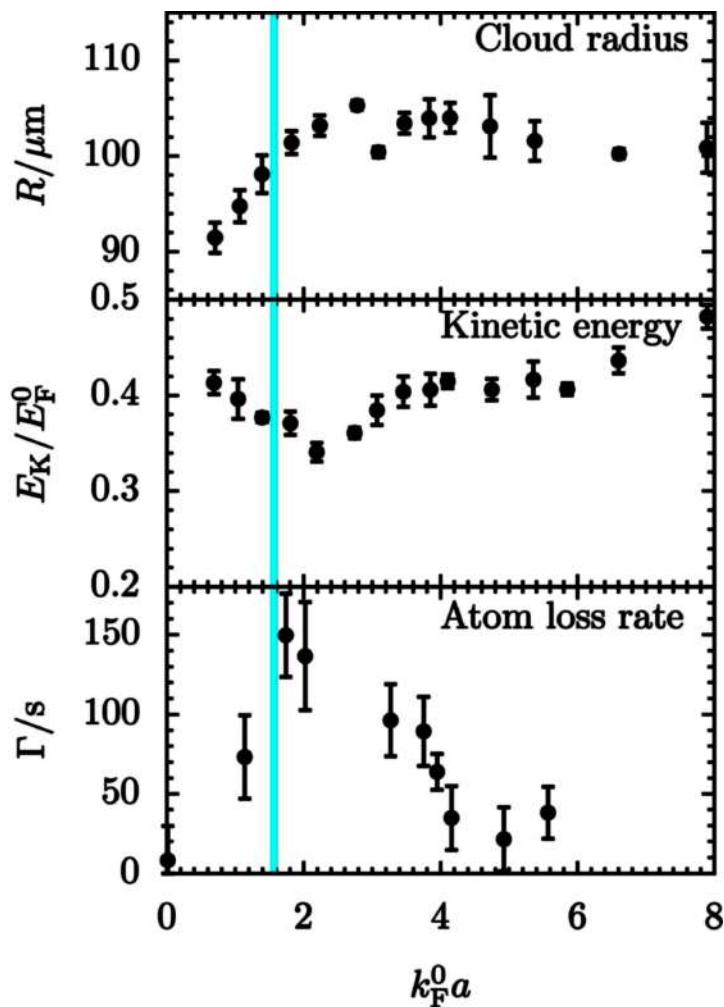
- Magnetic field controls interaction strength
- Contact interaction
- Clean system

# Experimental evidence for ferromagnetism



Jo *et al*, Science 325, 1521 (2009)

# Further experimental signatures

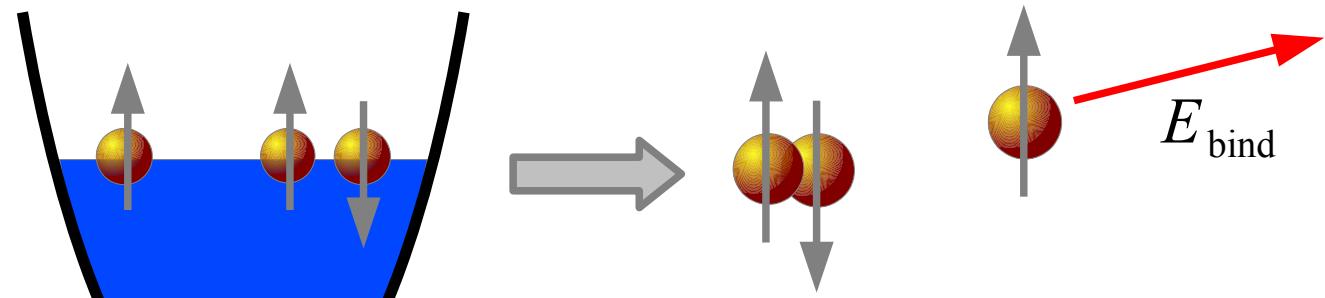


$$E_K \propto n^{5/3}$$

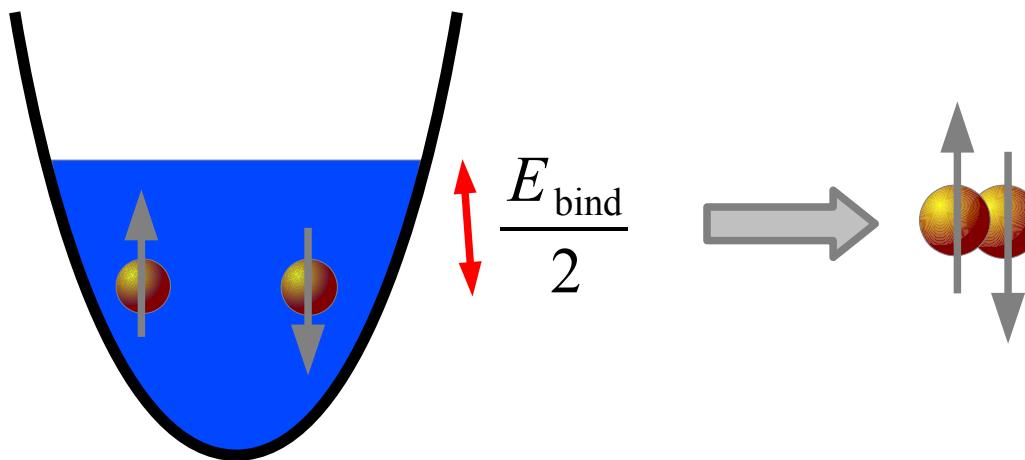
$$\Gamma \propto (k_F a)^6 n_\uparrow n_\downarrow (n_\uparrow + n_\downarrow)$$

# Two vs three-body loss

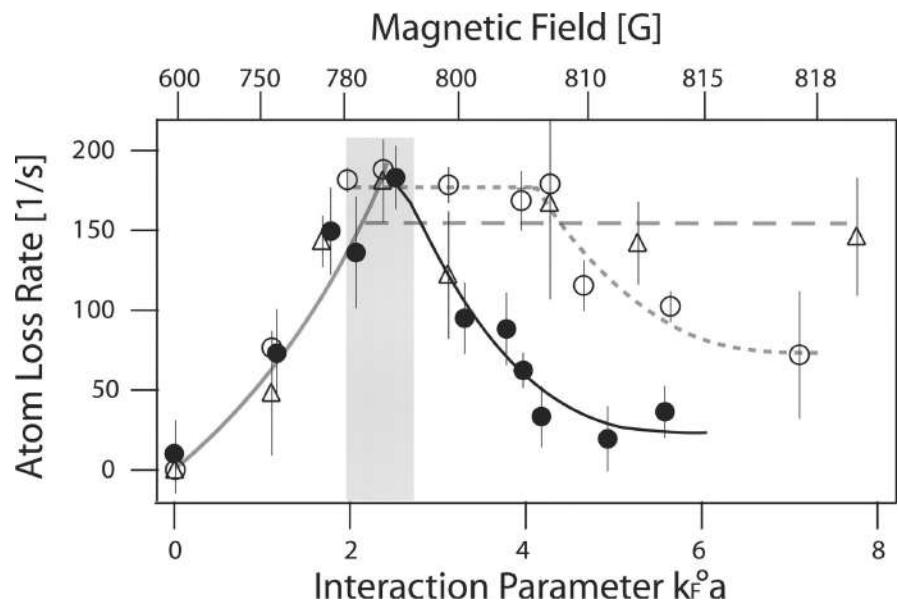
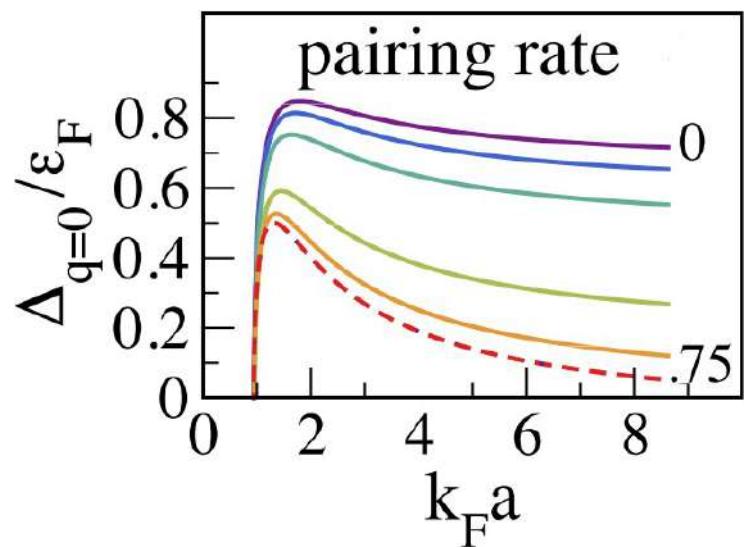
Three-body  
mechanism



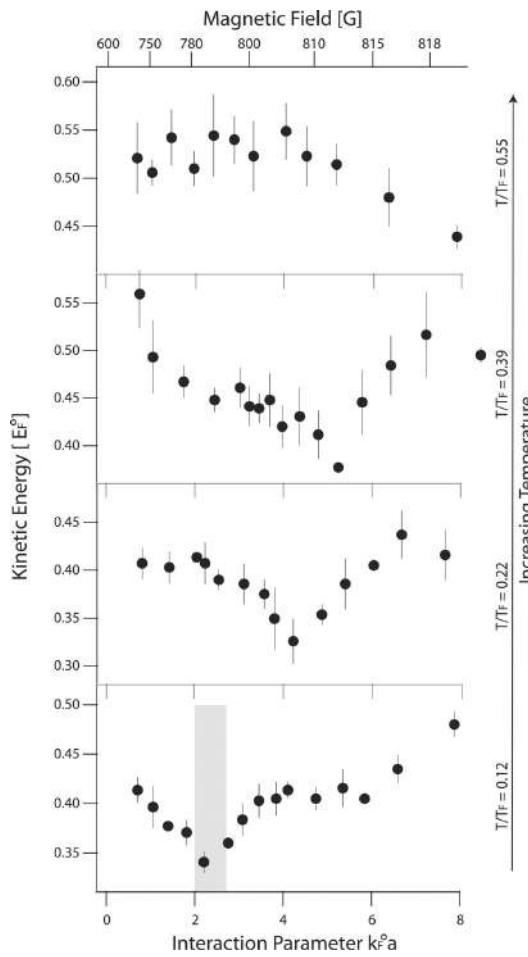
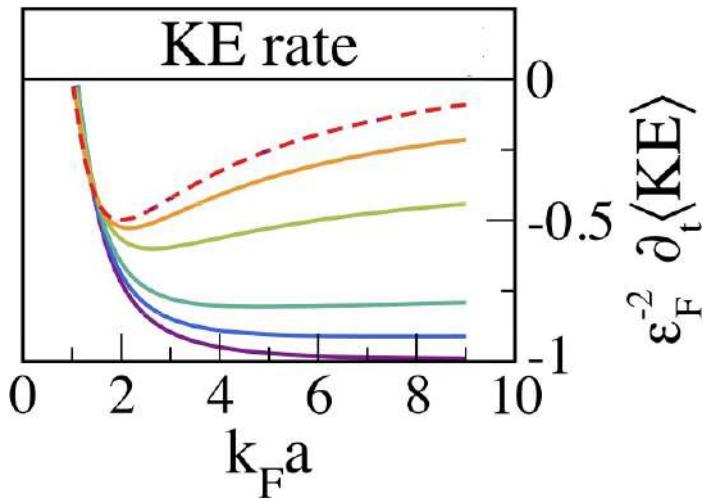
Two-body  
mechanism



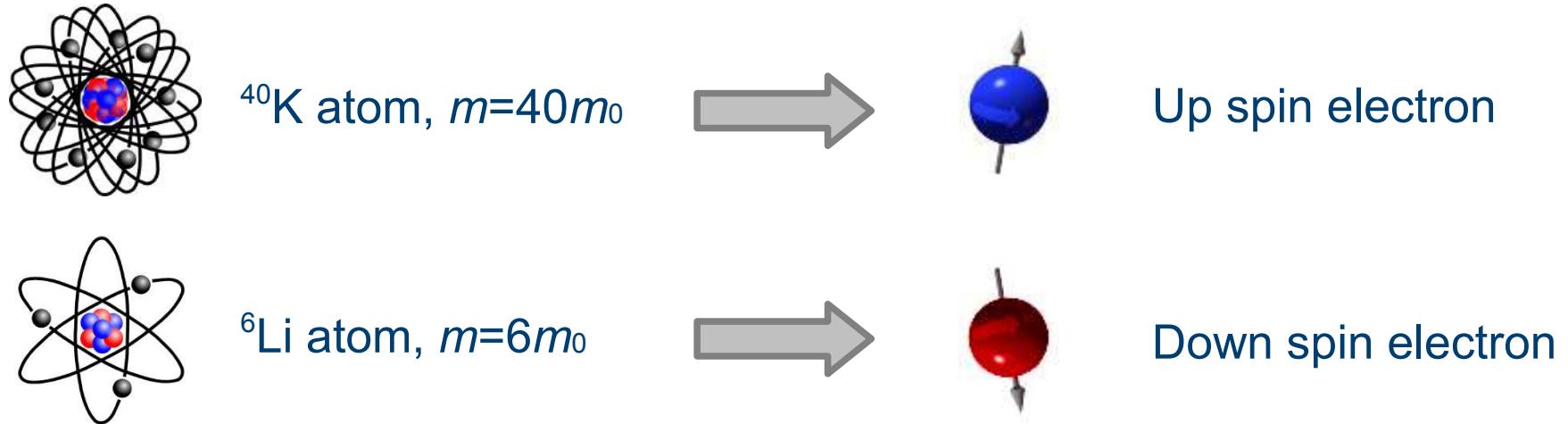
# Pairing loss rate



# Pairing losses: kinetic energy



# Mass imbalance ferromagnetism

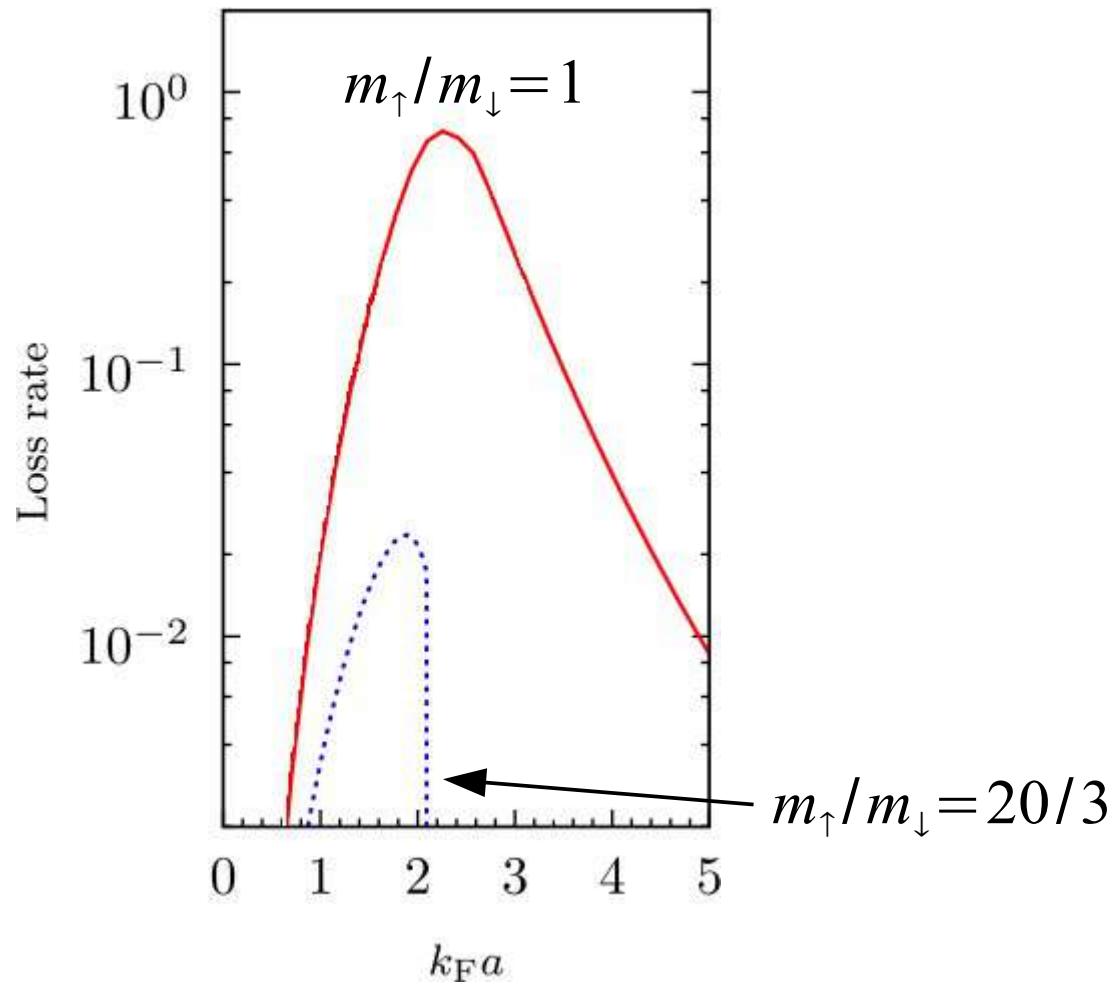


$$\hat{H} = \sum_k \frac{k^2}{2m_\uparrow} c_{k\uparrow}^\dagger c_{k\uparrow} + \sum_k \frac{k^2}{2m_\downarrow} c_{k\downarrow}^\dagger c_{k\downarrow} + g \sum_{kk'q} c_{k\uparrow}^\dagger c_{k'+q\downarrow}^\dagger c_{k'+q\downarrow} c_{k'\uparrow}$$

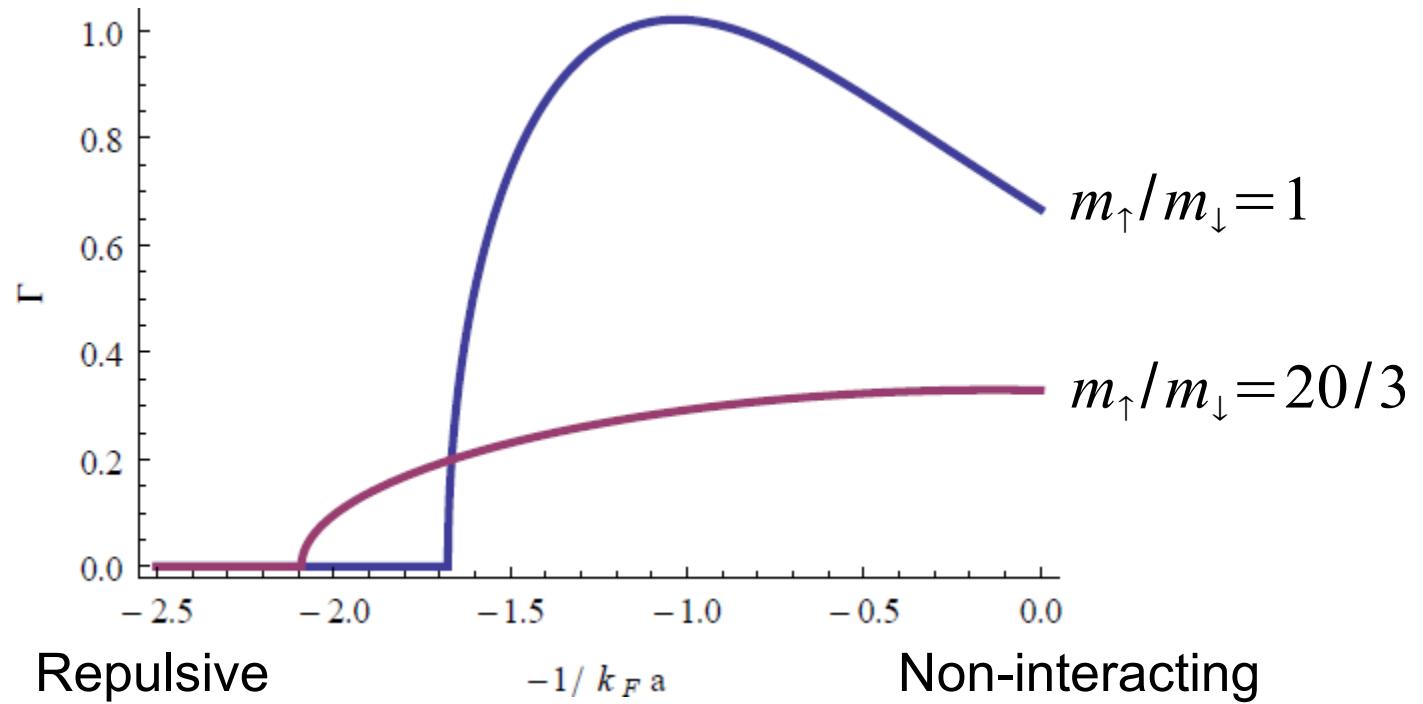
- Magnetic moment formed along quantization axis

Keyserlingk & Conduit, PRA **83**, 053625 (2011)

# Reduced three-body losses

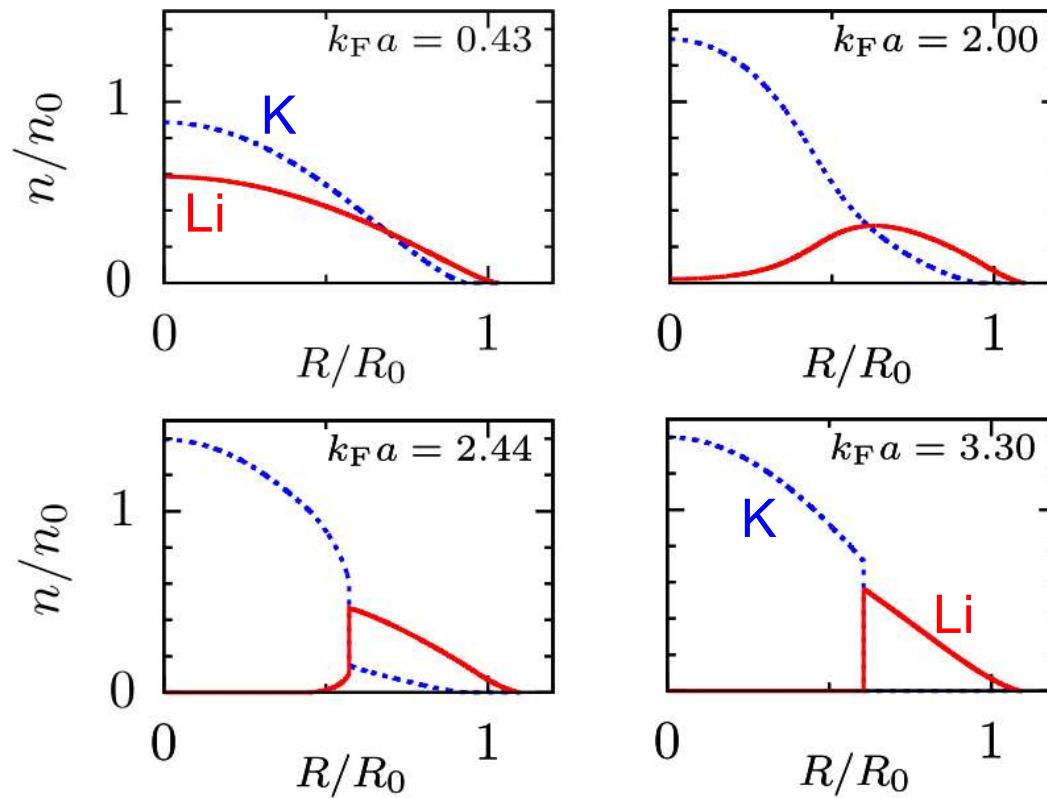


# Reduced two-body losses

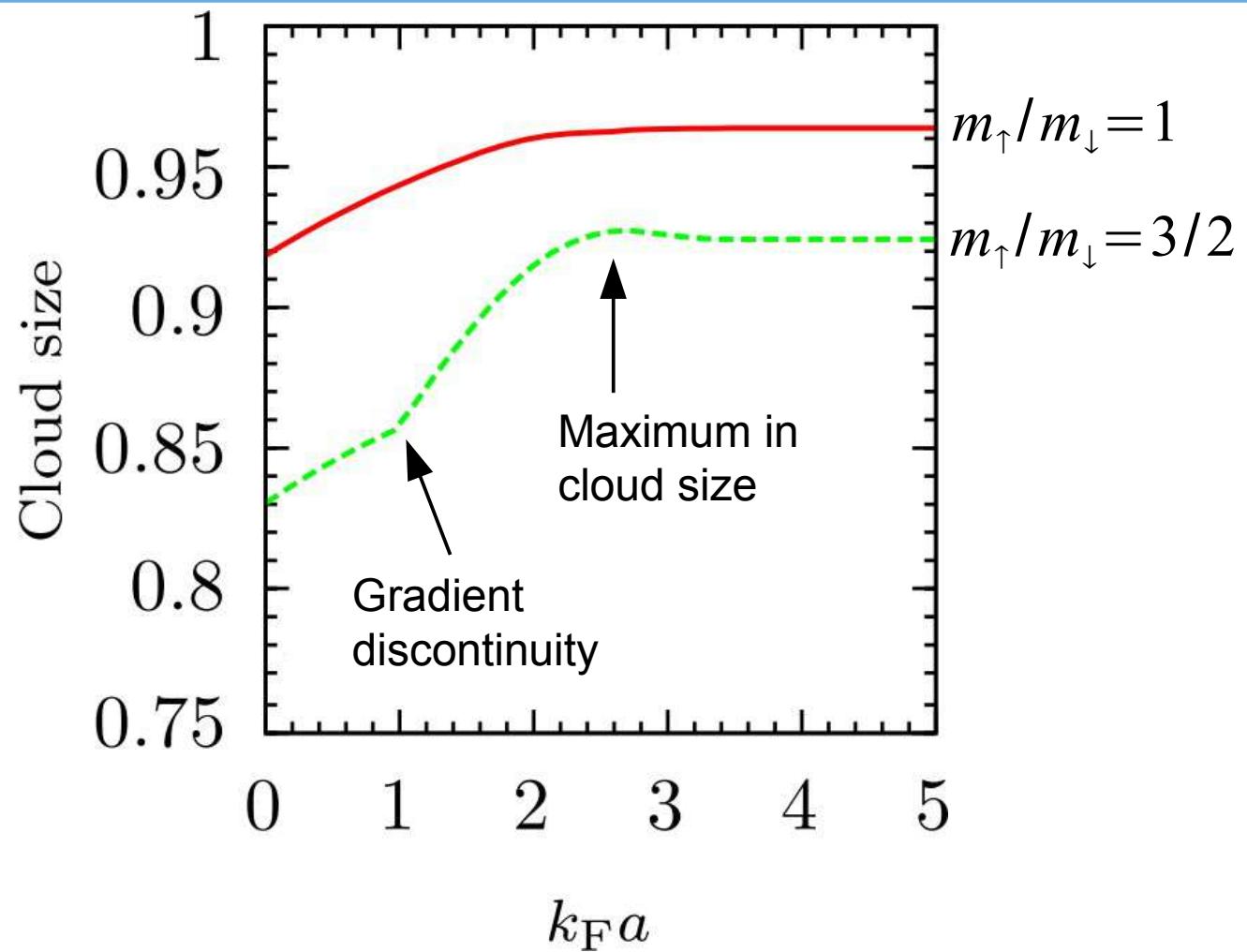


# Trapped behavior

- At high interaction strength light atoms forced to outside



# Unique signatures of ferromagnetism

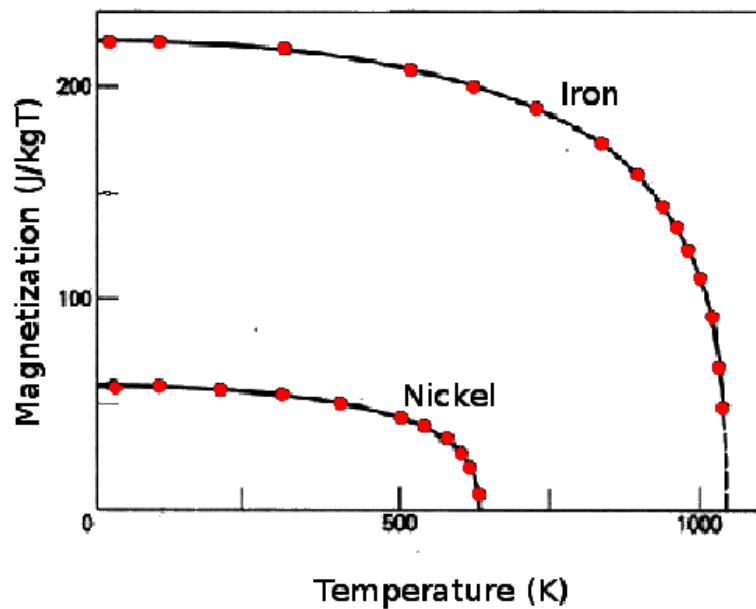


# Conclusions

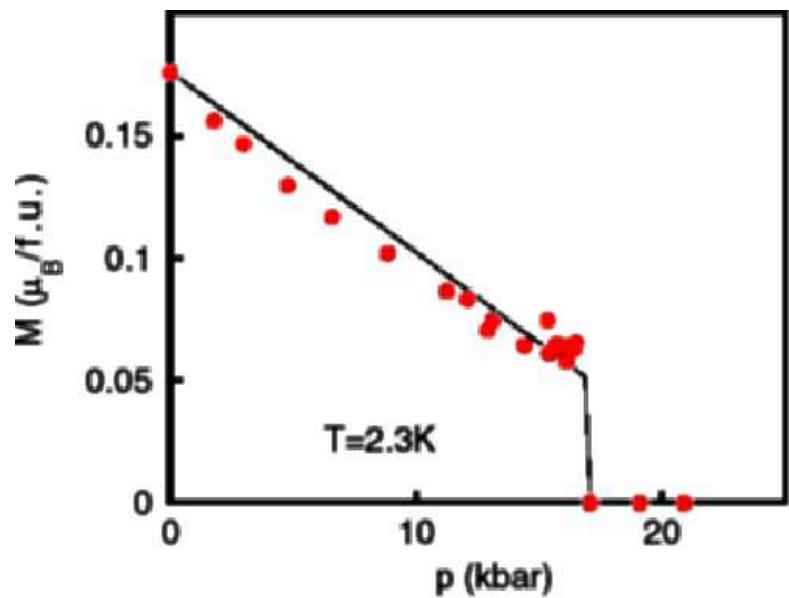
- Equilibrium theory provides a reasonable qualitative description of the transition
- Competing many-body instabilities provide alternative explanation
- Suppress losses and give stronger signatures of ferromagnetism by studying mass imbalance
- Answer long-standing questions about solid state ferromagnetism and motivate new research arenas

# Solid state ferromagnetism

Second order in Fe & Ni

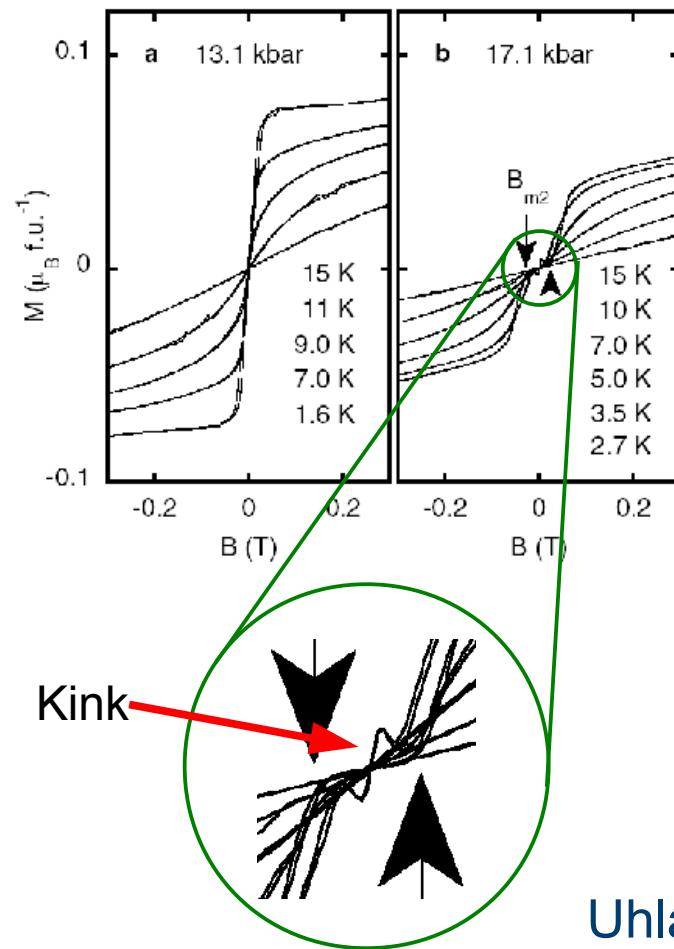
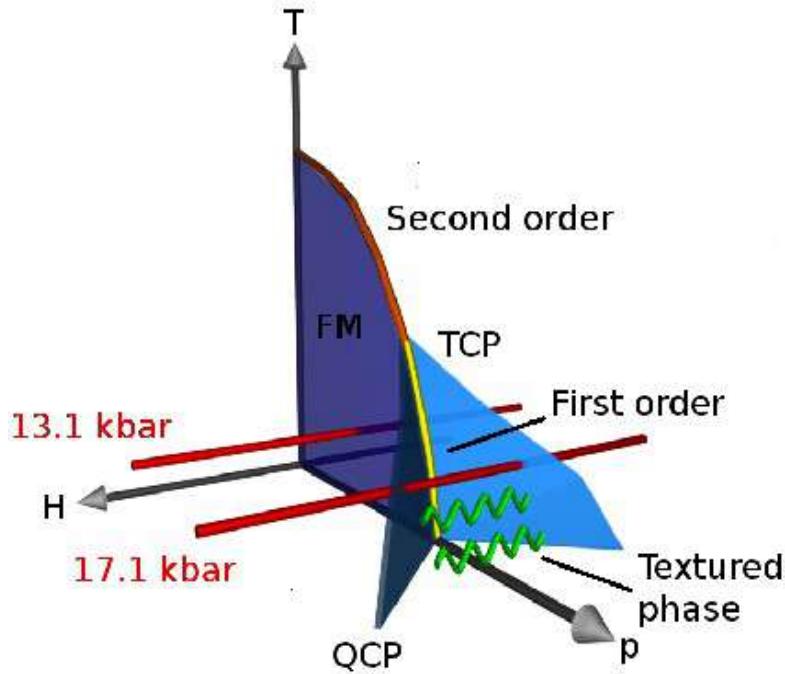


First order in  $ZrZn_2$



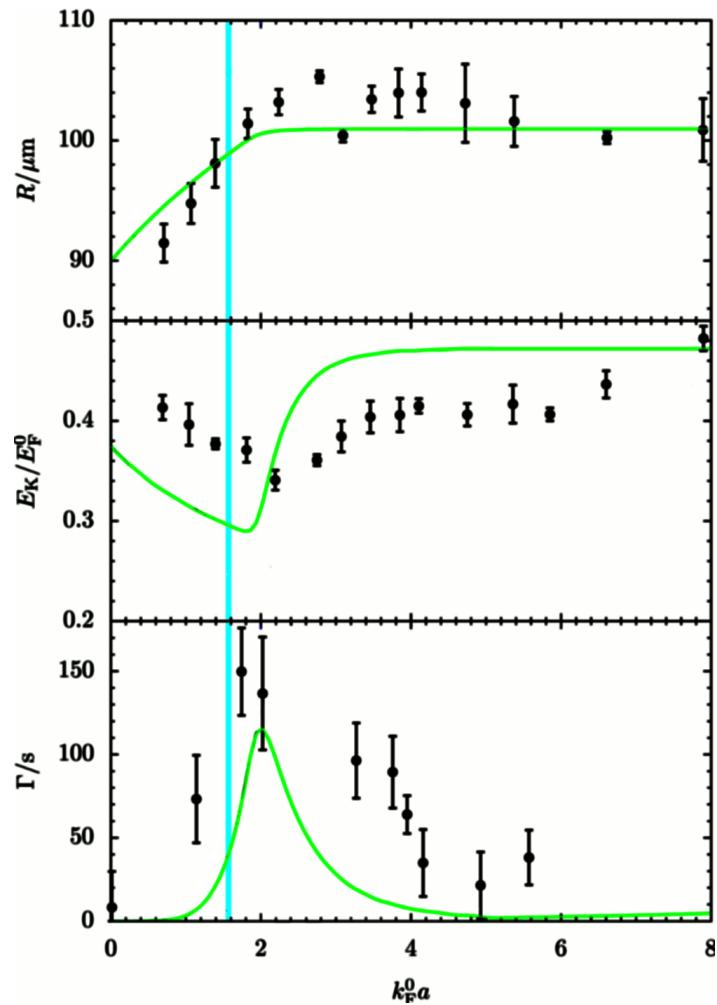
Uhlárz *et al.*,  
PRL (2004)

# Magnetism mysteries



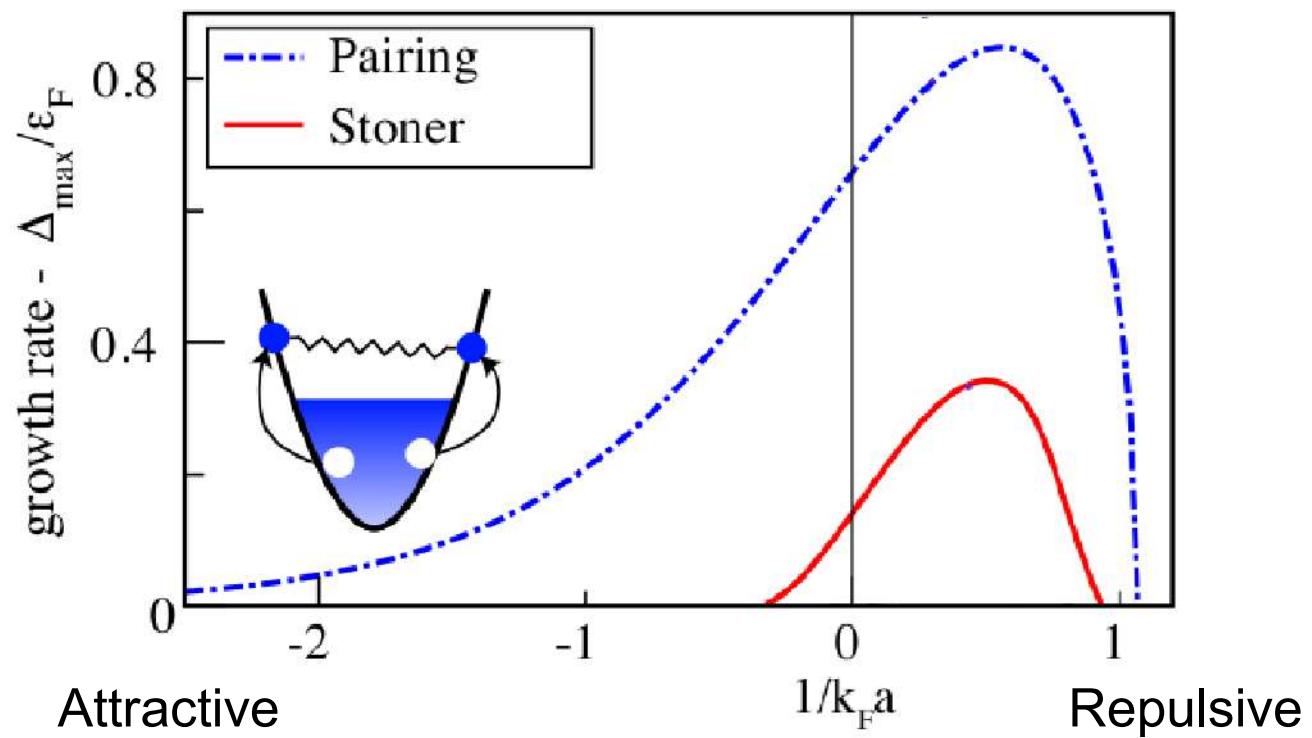
Uhlárz *et al*,  
PRL (2004)

# Mean-field theory



GJC & Simons, PRL 103, 200403 (2009)

# Pairing loss rate



Pekker et al, PRL 106, 050402 (2011)